NEW PHYSICS AND HYPERCOMPUTATION

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Extended abstract: http://ftp.math-inst.hu/pub/algebraic-logic/sofsem06abstract.pdf

Cf. also http://ftp.math-inst.hu/pub/algebraic-logic/beyondturing.pdf











"Feedback Universe"

"Mechanical" "Newtonian world-view"

Living Universe Last 10 years of cosmology Lee Smolin

Barry Cooper

Emergence

Cybernetics System Theory

Jiri Wiedermann Jan van Leeuwen AI, Internet, Open Systems

Tangible, hard experimental data

Revolution in cosmology

Church Thesis was formulated in the pre-relativistic (Newtonian) worldview

Turing Machine concept incorporates "ABSOLUTE TIME"



Believable that after General Relativity (GR) breaking Turing barrier becomes conceivable.



you can manipulate time (just like space)

Kurt Gödel was fascinated with this feature.

New freedom (handle on the problem):

We can manipulate time in GR.

(Already in SR. But that is not enough.)

Fourth dimension: "moving in time"

Boldly: Assume for a second (only!!!) that time travel exists.

Time travel \rightarrow Beyond Turing computer.

Less boldly: Instead of time travel use huge rotating black holes (observed).

Restrict attention for **concreteness**

--- task: deciding recursively enumerable sets. E.g. the task is deciding all theorems of FOL. Or deciding whether <u>ZF set theory</u> is consistent.

--- tools: huge rotating black holes. Astronomical evidence exists for this, cf. Internet under "spin of black hole". Other (than BH) relativistic hypercomputers: anti de Sitter spacetime, inflatons, quintessence.

Part II

General outline of the Thought Experiment (Hypercomputation). Details come later.



A THEOREM of Special Relativity (SR) (casily proved in first-order logic version of SR)

TIME WARP (Tower Paradox, effects of gravity on time)

CLOCKS HIGHER in a GRAVITATIONAL WELL TICK FASTER



CAQ GPS general positioning system

the heavier - Earth the bigger speed up effect we get

Increase the effect:

THOUGHT EXPERIMENT for fast computation: The programmer "throws" his slave-computer to a high orbit. Communicates via radio.





Programmer's view Computer's view Survive tidal forces? \rightarrow Huge black hole (practically no tidal forces, no spaghettifying!)

Problem: Enough time for enjoying having received the result.

Needed: cushioning effect, i.e. repellent force. A second effect counter-acting gravitation.

Plenty of solutions for this, e.g. rotating BH (centrifugal force for cushion) or electrostatic repulsion





SUMMARY

- Gravitation can be used for speeding up time
- Black holes provide **unlimited resource** for this effect
- Undesirable side-effects of falling into a black hole can be eliminated by choosing **exotic black holes** (with a repellept, cushioning force)
- All this is not a fairy tale, it can be **mathematically verified** via GR (no misuse of idealizations). Physical realism checked in *Németi-Dávid: Relativistic computers and the Turing Barrier, JAMC to appear.*
- New, high precision cosmology: **No Big Crunch**, space is infinite, conditions for relativistic computer friendly.
- Universe is infinite both in time and space.



Spacetime theoretical elaboration of the same Thought Experiment.









RELATIVITY!







wrist-watch time



BLACK HOLE with REPELLENT FORCE



FIGURE 6. Penrose diagram of slowly rotating black hole along the symmetry axis. The red line represents a segment of the life-line of the Programmer, and the blue line represents the life-line of the Computer. The time passed on the red line is finite, while the time passed on the blue line, i.e. for Computer, is infinite.

HOMOMORPHIC IMAGE



FIGURE 1. Penrose diagram of Schwarzschild black hole. There is no point in the spacetime whose causal past contains all of an upwardinfinite future-directed curve.

Simple BH metric

$$ds^2 = (1 - f) dt^2 - (1 - f)^2 dt^2 - r^2 dq^2$$

trivial:
Euclidean part

E. charged BH metric

$$ds^{2} = (1 - \frac{1}{r} + \frac{e}{r^{2}})dt^{2} - (1 - \frac{1}{r} + \frac{e}{r^{2}})dr^{2} - r^{2}dr^{2}$$

charge
 $0 \le e < \frac{1}{2}$

$$\frac{ds}{dt} = 0 \quad \text{iff} \quad r = \frac{1}{2} \pm \sqrt{\frac{1}{4}} - e$$

$$programmer's \ clocks \ freeze =$$

$$= event \ horizons$$

<u>THM</u>: These metrics satisfy Einstein's F. Equations

Simple Black Hole metric

$$ds^{2} = (\mathbf{1} - \frac{1}{r})dt^{2} - (\mathbf{1} - \frac{1}{r})^{-1}dr^{2} - r^{2}d\varphi^{2}$$
Tells how Tells how Trivial:
much the narrow the Euclidean
wrist-watch local part
of local ant light-cone
shows at 1 is



Electrically charged Black Hole metric:

$$ds^{2} = (\mathbf{1} - \frac{1}{\mathbf{r}} + \frac{\mathbf{e}}{\mathbf{r}^{2}})dt^{2} - (\mathbf{1} - \frac{1}{\mathbf{r}} + \frac{\mathbf{e}}{\mathbf{r}^{2}})^{-1}dr^{2} - r^{2}d\varphi^{2}$$

Some people with results on relat. Computers:

Hogarth (Cambridge) Pitowsky (Israel) Shagrir (Israel) Earman (Pittsburgh) Norton (Pittsburgh) Malament (USA) Etesi (Hungary, Dept. Phys.) Dávid (Hungary, Dept. Phys.) Tipler Barrow Jiří Wiedermann A&N 1987 Ames USA Lecture Notes Logical Foundation of General Relativity

RELATIVITY for LOGICIANS

Available from us (manuscript)