
Finding Optimal Compatible Set of Software Components Using Integer Linear Programming

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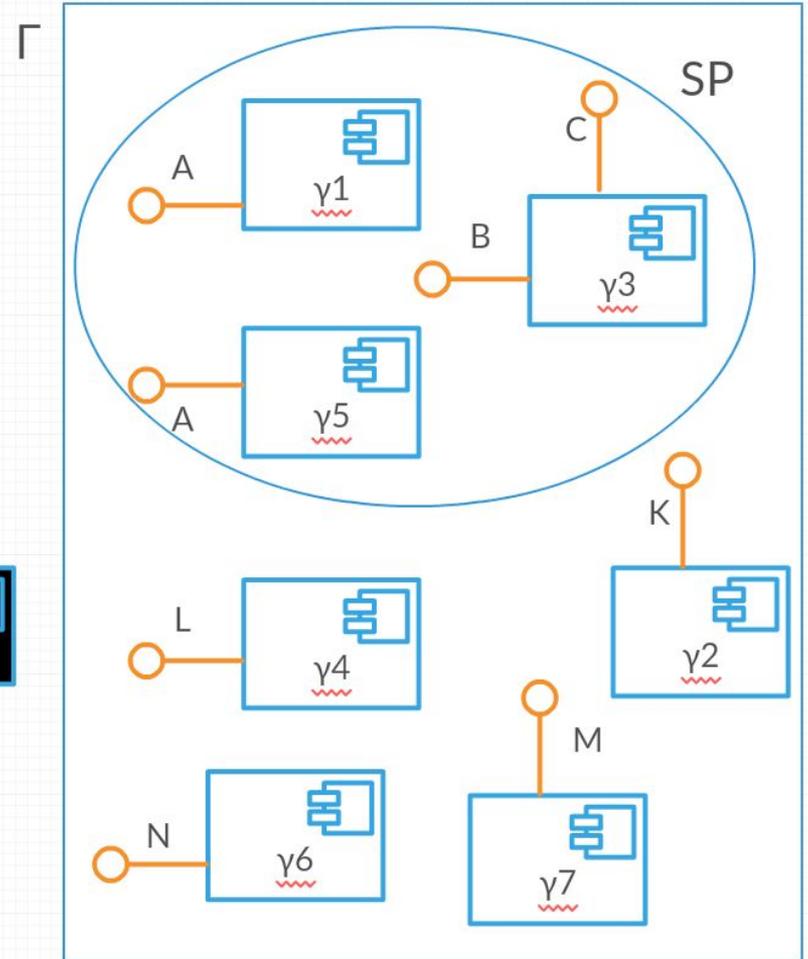
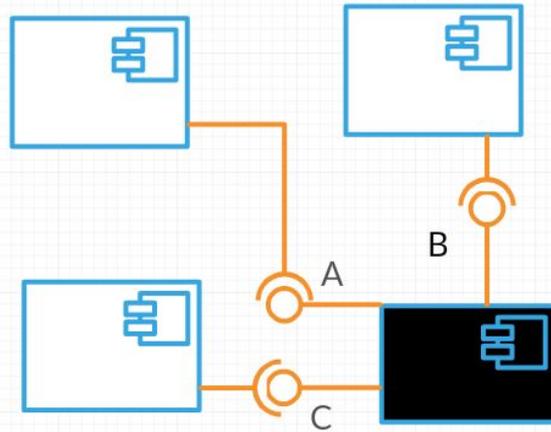
Preliminaries

What is a component?

- "A software component is a unit of composition with contractually specified interfaces and explicit context dependencies only. A software component can be deployed independently and is subject to third-party composition." (C. Szyperski)
- distributable module, library (e.g. jar file)

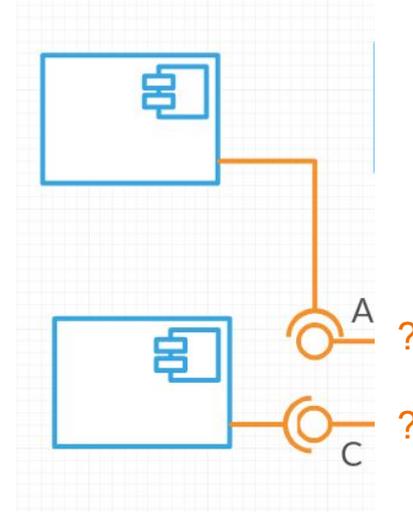
Use Cases

1. Safe upgrade of a system part;



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2. **Finding a missing dependency ;**
 - input: set of requirements;
 - context help in IDEs
3. Removing incompatible library duplicates;



Use Cases

1. Safe upgrade of a system portion;
2. Finding a missing dependency;
- 3. Removing incompatible library duplicates;**
 - Analysis of corpus of about 600 Java programs (Qualitas Corpus: Tempero et al 2010);
 - open-source, including popular: hibernate, antlr, maven;
 - 75% contain compatibility problem (multiple versions of the same library on classpath);

Goals

1. Finding a set of components that
 1. have particular capabilities such as API (given as user input);
 2. is optimized in respect to an arbitrary metrics;
 - i.e. finding the “best” answer;
2. Achieving both goals “fast enough” for common use during development;
→ e.g. intellisense in IDE, regular evaluation during build, etc.
3. No need to enhance existing applications by custom model;

Related Work

- integration testing
- Desnos et al. 2008 - 1:M replacement, custom model
- Olaechea et al. 2014 - multi-objective sw. product lines

Integer Linear Programming

- search and optimization
- variables (decisions)
- constraints
- objective function $\mathbf{c}(\mathbf{x})$

Problem Model

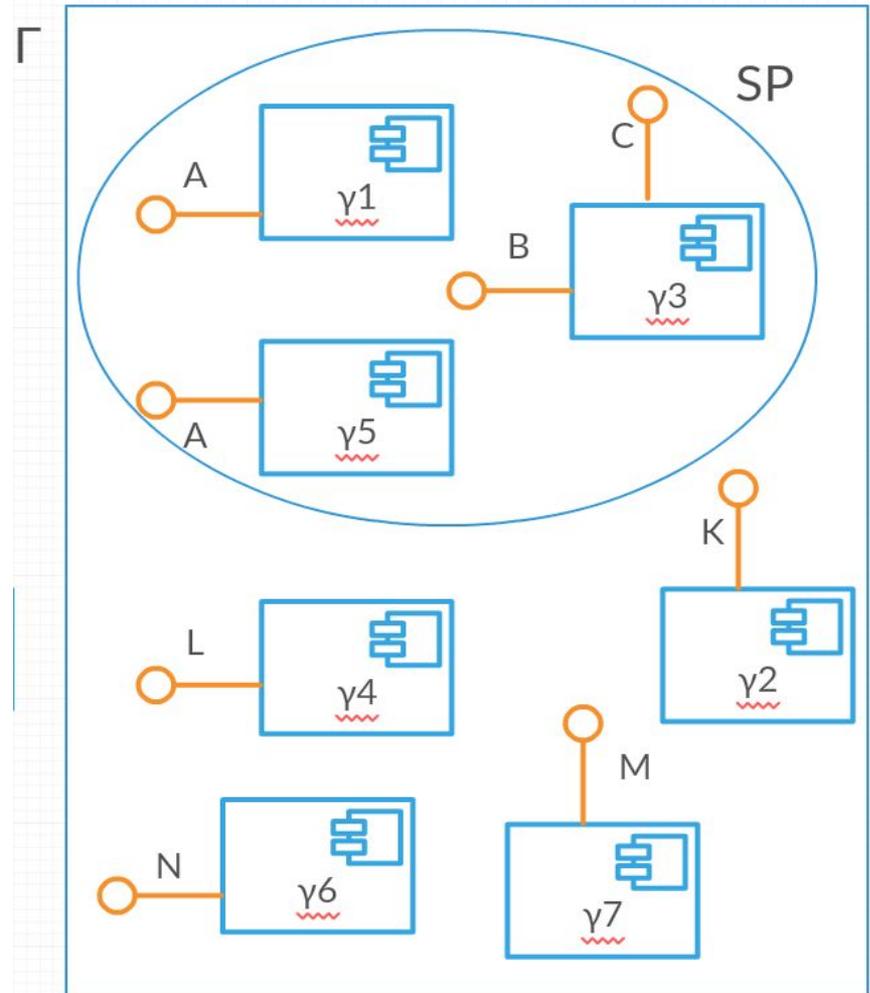
Definitions:

Γ - set of all existing components

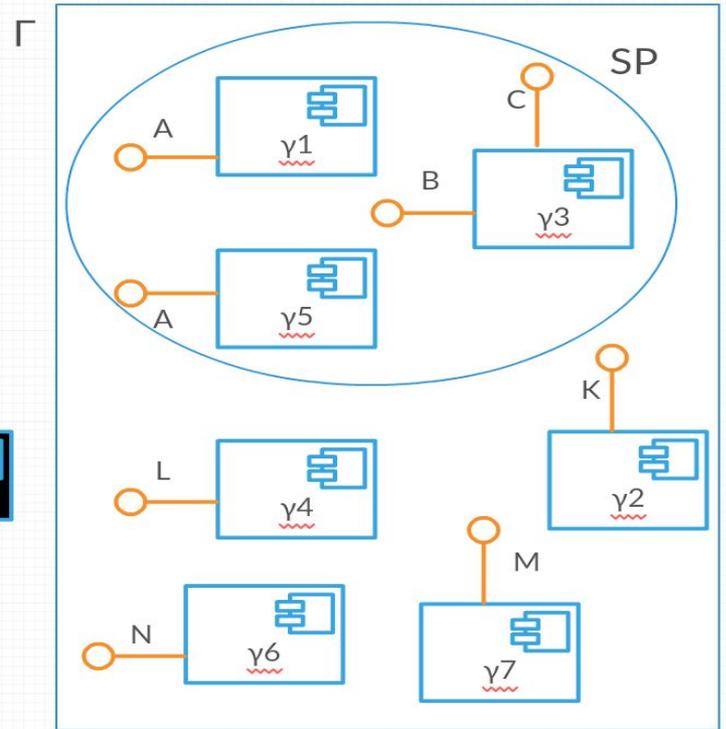
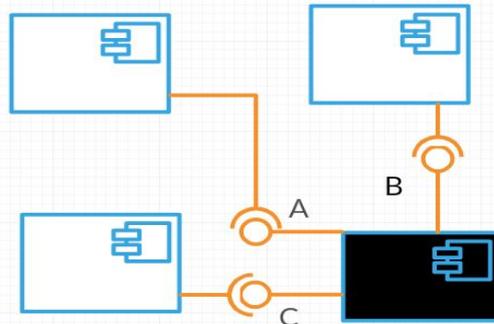
$R = \{A, B, C\}$ - set of requirements

$SP = \{\gamma_1, \gamma_3, \gamma_5\}$ - set of components which satisfy at least a single requirement

$\rightarrow SP \subseteq \Gamma$



Problem Model



Definitions:

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ILP Model

Canonical form:

$$\min c^T x \text{ or } \max c^T x$$

$$Ax = \{1\}^{|\mathbb{R}|}$$

$$\forall i: x_i \in \{0, 1\}$$

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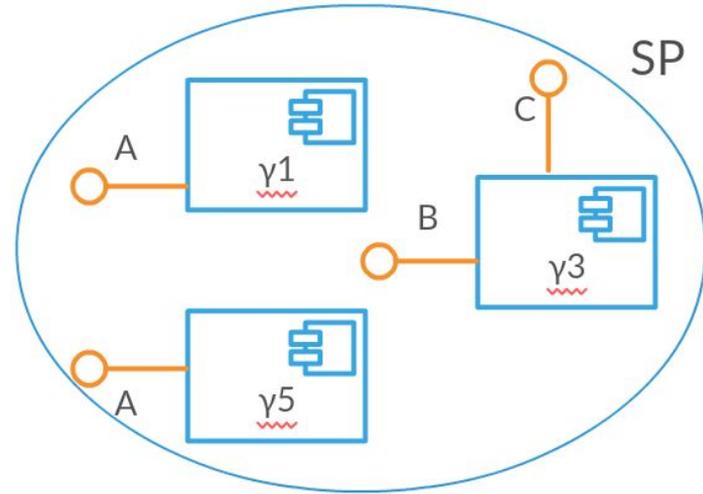
$$\forall i: x_i \in \{0, 1\}$$

\mathbf{x} - solution vector representing components from the set **SP**

$$|\mathbf{x}| = |\mathcal{SP}|$$

1 - the component is part of solution

0 - otherwise



$$\mathbf{x} = \{\gamma_1, \gamma_3, \gamma_5\}$$

ILP Model

Canonical form:

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A - matrix $|R| \times |x|$

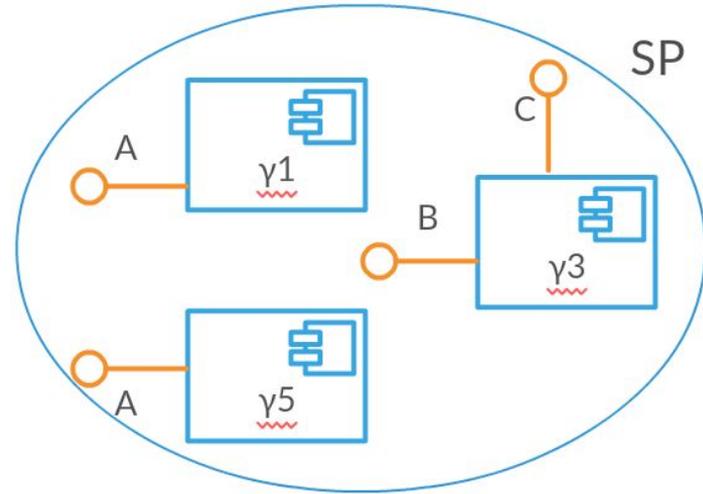
→ rows - requirements

→ columns - components

→ $\forall i, j: a_{ij} \in \{0, 1\}$

1 - the requirement **i** is satisfied
by the component **j**

0 - otherwise



	γ_1	γ_3	γ_5
A	1	0	1
B	0	1	0
C	0	1	0

ILP Model

Canonical form:

$$\min \mathbf{c}^T \mathbf{x} \text{ or } \max \mathbf{c}^T \mathbf{x}$$

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c - vector of component costs

→ optimization function (min or max)

depends on nature of the cost function

→ size vs benchmark score

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Γ and SP Source

Meta-Data Repository - pre-processed for each component:

- full public API image (capabilities)
- set of its dependencies (requirements)
- various metrics
- language and component model independent

Fast Enough? - Simulation

- artificially generated **SP** and **R** sets and values of the **A** matrix
- based on data from previous research (Jezek, Ambroz 2015);
→ dependency problems found in Apache Lucene library
dependencies on ant, junit and ant-junit
- two scenarios
 - a. optimization heavy - lots of feasible solutions
 - b. no-optimization - single feasible solution

Intel Core i7 3612QM (4 cores)
8GB RAM
Gentoo Linux kernel 4.0.5
Solver: Gurobi 6.0.4

Simulation

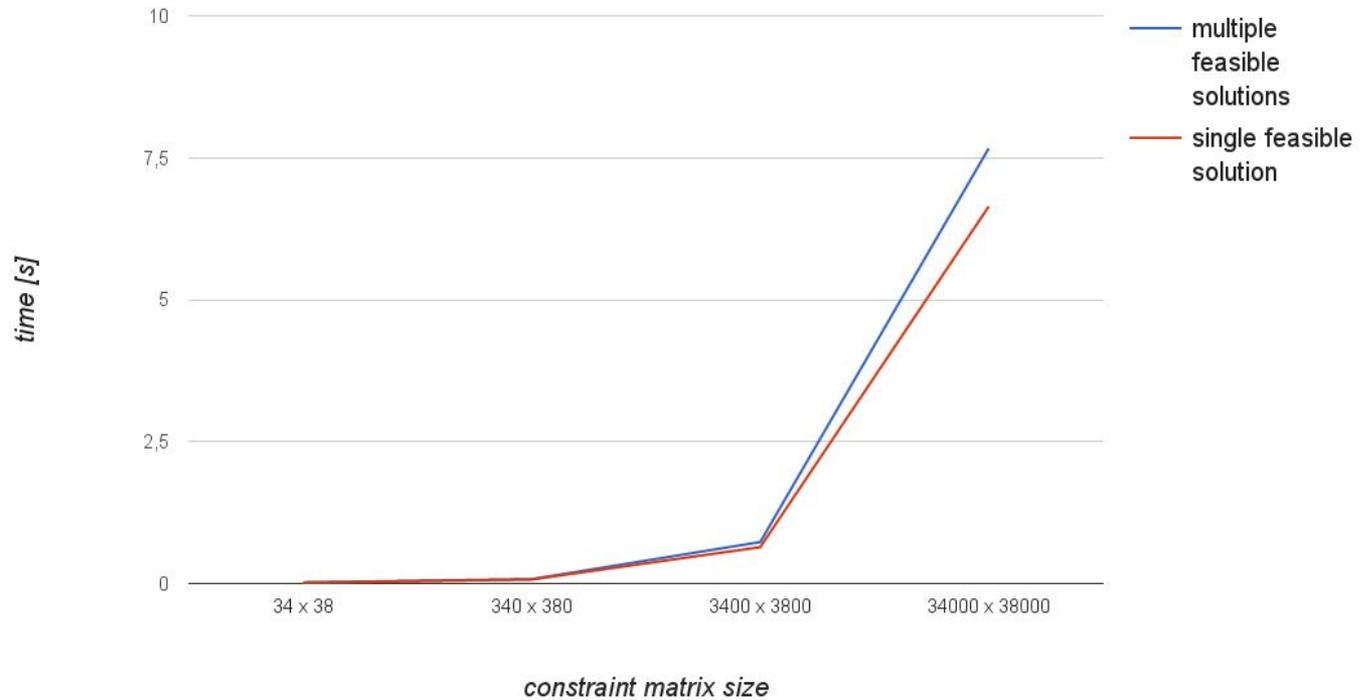
- base data size - Lucene requirements:

	no. of requirements R 	available versions SP
ant	5	21
ant-junit	3	15
junit	26	2

constraint matrix size: $|A| = |R| \times |SP|$

- artificially scaled the size:
→ **n-times** more component versions and requirements; $n \in \{10, 100, 1000\}$

Simulation



Summary

- method for finding a set of components which:
 - satisfies given requirements;
 - is optimal in respect to an arbitrary metrics;
- promising performance results
- future work
 - real-data study;
 - include requirements of the searched components;
→ create consistent transitive closure of dependencies;

Thank you for your attention.